

A 1.3

Let $G = \langle g_1, \dots, g_n \rangle$ be a group.

Produce G_i via $\langle g_i g_1, \dots, g_i g_n \rangle$

$$G_i = g_i G \quad \text{then} \quad G_i \stackrel{!}{=} G$$

$$\text{Theorem: } \forall i: \quad g_i G = G = G g_i$$

One g_i will be the inverse of another, producing e . With e it will produce g_i . Inverse and identity are unique.